

## University of Portland School of Engineering

## EE 262-δignals & δystems-3 cr. hrs. Spring 2017

## Midterm Exam # 2

(Prepared by Professor A. S. Inan)

(Wednesday, April 12, 2017)
(Closed Book Exam, 3 formula sheets allowed.)
(Total Time: 55 mins.)
(Any 6 of 10 problems in-class, other 4 take-home!)

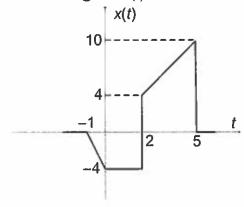
Name:	<u></u>
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(1)(10 points) Unilateral Laplace transform. Find the unilateral Laplace transform of the signal given by

$$x(t) = 4e^{-2t+3}u(t-2) * [2e^{-t}u(t-2) * 3\delta(t-2)]$$

(Note that this is a convolution problem. Provide your answer in its simplest form.)

(2)(10 points) Unilateral Laplace transform. Find the unilateral Laplace transform of the signal x(t) as shown.



(3)(10 points) Inverse Laplace transform. Find the inverse Laplace transform of the signal given by

$$X(s) = \frac{2e^{-2s}(s+2)}{s(s^2+2)}$$

(4)(10 points) Transfer function and impulse response. When excited by a unit-step function u(t) at zero state, the response of a system is given by

$$y(t) = 20t^2 e^{-2t} u(t)$$

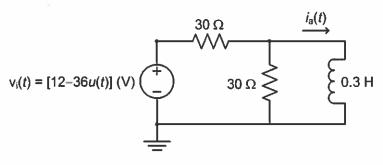
Determine (a) the system transfer function; (b) the impulse response.

(5)(10 points) Unilateral Laplace transform. Given  $x(t) \leftrightarrow X(s)$  unilateral Laplace transform pair and given the signal y(t) to be  $y(t) = 17e^{(5-2t)}x\left(\frac{3t-6}{4}\right)$ , express Y(s) in terms of X(s).

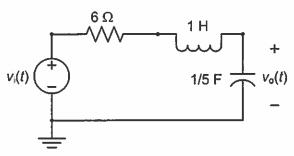
(6)(10 points) Initial and final values. Determine the initial and final values of x(t) if the unilateral Laplace transform of x(t) is given by

$$X(s) = \frac{6s^4 + 11s^3 - 5s + 9}{2s^5 + 47s^4 + 3s^3 + 18s^2 - 10s}$$

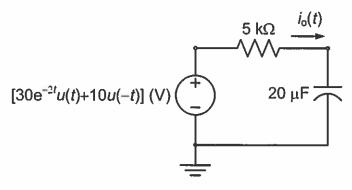
(7)(10 points) Application of Laplace transform to electric circuits. For the electric circuit shown, use Laplace transform to find the current signal  $i_a(t)$  for t > 0.



(8)(10 points) **Transfer function and impulse response.** Find the transfer function and the impulse response of the electric circuit shown.



(9)(10 points) Application of Laplace transform to electric circuits. For the electric circuit shown, use Laplace transform to find the current signal  $i_0(t)$  for  $t \ge 0$ .



(10 points) Inverse Laplace transform. Find the inverse (10)Laplace transform of the signal given by  $X(s) = \frac{4(2s^2 + 9s + 10)}{(s+1)(s+3)^2}$ 

$$X(s) = \frac{4(2s^2 + 9s + 10)}{(s+1)(s+3)^2}$$