

2/27/2004

UNIVERSITY OF PORTLAND
School of Engineering

EE 301-Electromagnetic Fields-3 cr. hrs.
Spring 2004

SOLUTIONS TO

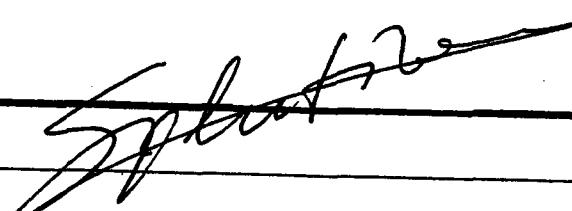
Midterm Exam # 1

(Prepared by Professor A. S. Inan)

(Friday, February 27, 2004)

(Closed Book Exam; 1 Formula Sheet Allowed)
(Total Time: 55 mins.)

Name: SOLUTIONS! ☺

Signature:  ☺

"Honesty is the best policy."

Aesop (~ 620B.C. -?)

"An honest mind possesses a kingdom."

Lucius Annaeus Seneca (4B.C.-65A.D.)

"Honest people are the true winners of the universe."

Anonymous

"Honesty is not for sale."

A. Inan

Believe firmly in
what you say...
Believe firmly in
what you say...
Believe firmly in
what you say...

Are you ready to
take an
Inan test?
Are you
worried?



Calm down,
take it easy...
And take a deep
breath...



Attack
and
storm
all problems
made
by
Inan!!

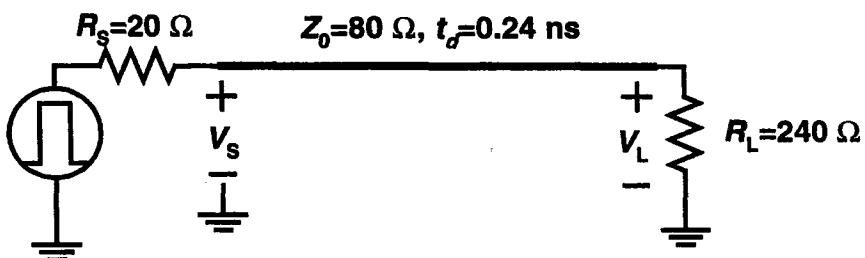
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I hope what
I say is true
we will see

(1) (20 mins., 40 points) Pulse excitation of a lossless transmission line.

For the transmission line circuit shown, sketch both the source-end and the load-end voltages as a function of time between $t = 0$ and $t = 1\text{ns}$. Provide all the relevant values on your sketches. Also provide a bounce diagram for your solution.

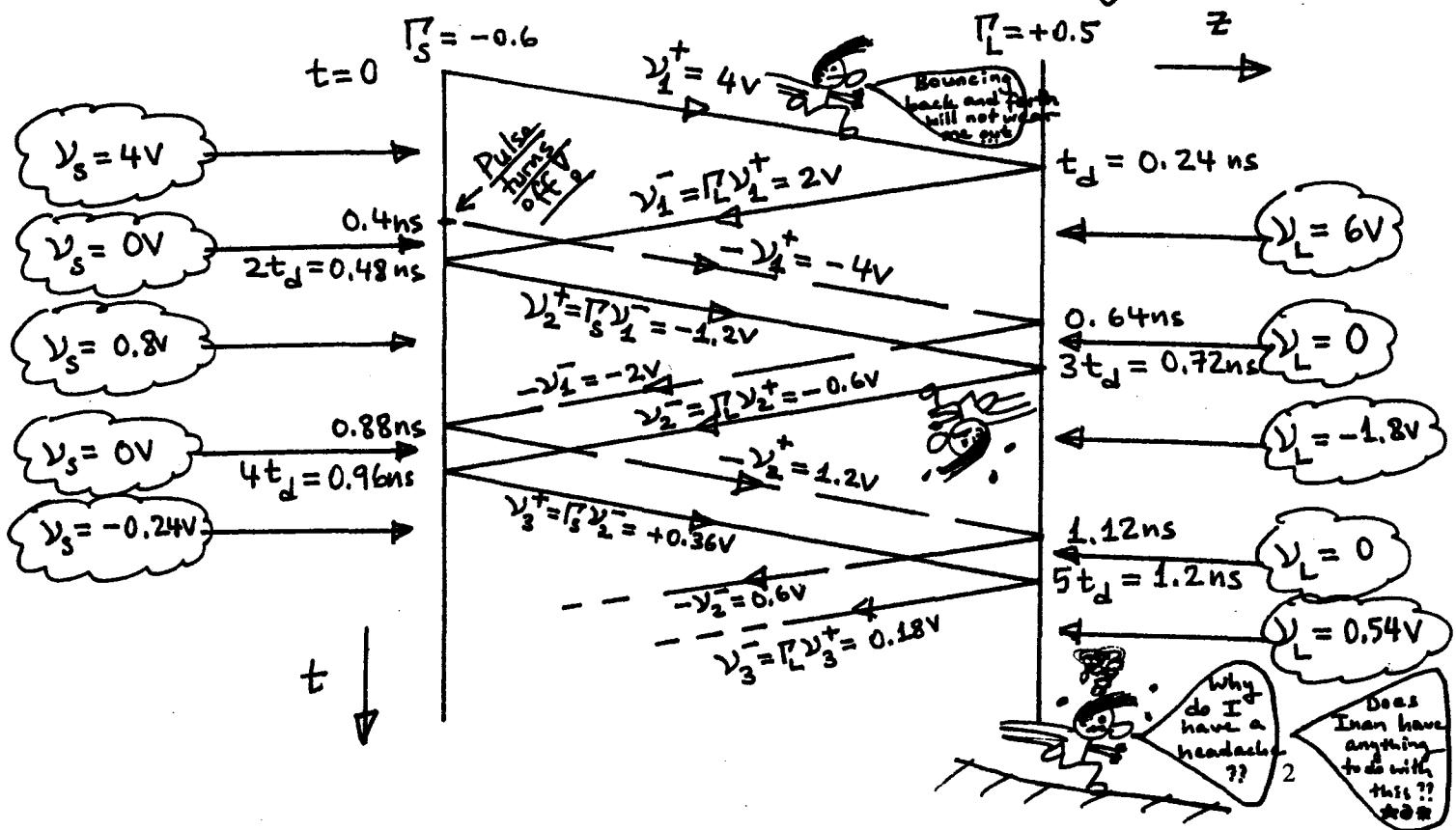
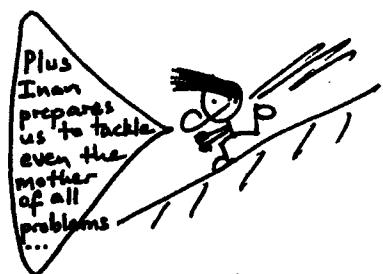
Inan's
tests are
nothing but
a piece
of cake
 $V_0 = 5\text{ V}$
 $t_p = 0.4\text{ ns}$



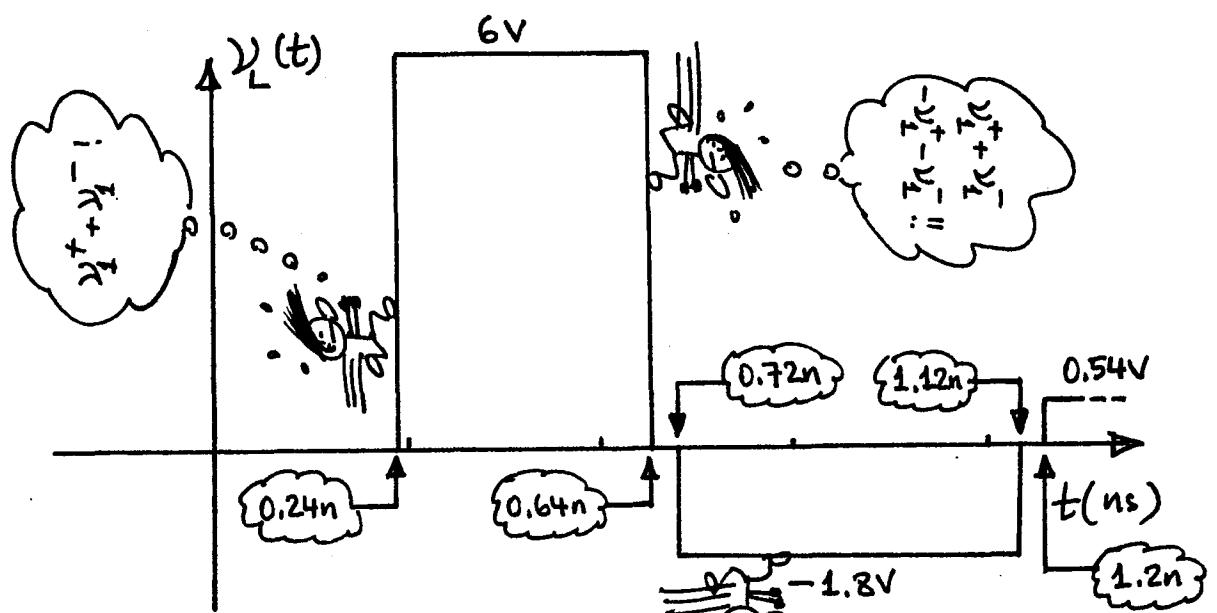
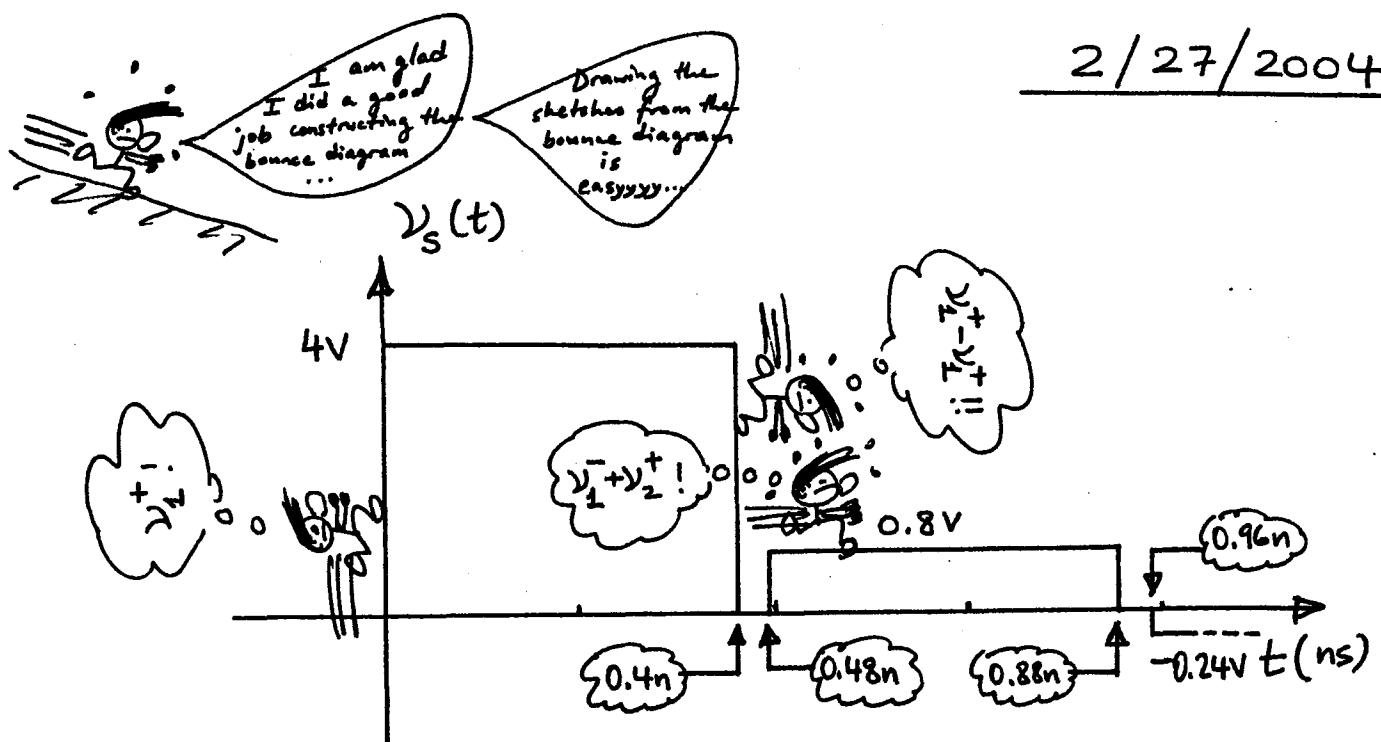
$$V_1^+ = \frac{Z_0}{R_s + Z_0} V_0 = \frac{80}{20 + 80} (5) = 4\text{ V}$$

$$\Gamma_s' = \frac{R_s - Z_0}{R_s + Z_0} = \frac{20 - 80}{20 + 80} = -0.6$$

$$\Gamma_L' = \frac{R_L - Z_0}{R_L + Z_0} = \frac{240 - 80}{240 + 80} = +0.5$$

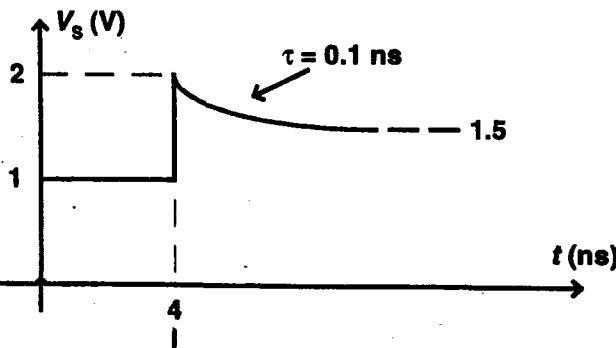
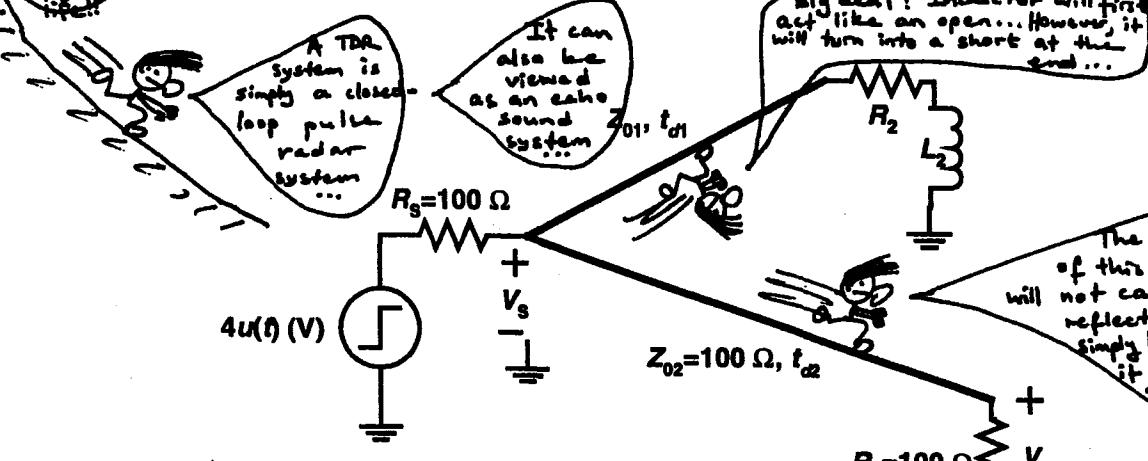


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(2) (25 mins., Total: 60 points) TDR waveform of a loss-less transmission line system having an inductive termination. The TDR waveform for the source-end voltage provided below applies to the transmission line circuit shown.



(a) (40 points) Use the TDR waveform provided to calculate the values of the circuit parameters Z_{01} , t_{d1} , R_2 and L_2 .

$$V_s(t=0^+) = V_1 = \frac{100\Omega}{R_s + (Z_{01} \parallel Z_{02})} \cdot 4V$$

$$\therefore Z_{01} \parallel Z_{02} = \frac{100}{3} \Omega \rightarrow \therefore Z_{01} = 50 \Omega$$

$$2t_{d1} = 4 \text{ ns} \rightarrow \therefore t_{d1} = 2 \text{ ns}$$

Testing the echo of my voice...

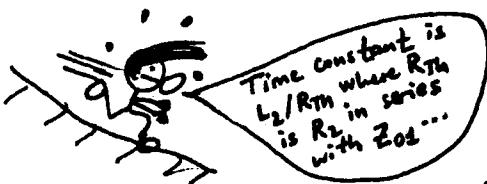
GOPEH

HELLOO

Three Sisters?

Two circuit parameters are captured 2 identified... The other two parameters are still at large

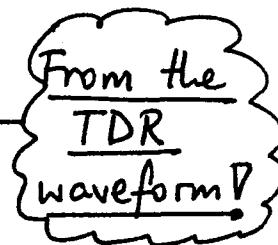
chaaaaarge!!



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The time constant is given by

$$\tau = \frac{L_2}{R_2 + Z_{01}} = \frac{L_2}{R_2 + 50} = 0.1 \text{ ns}$$

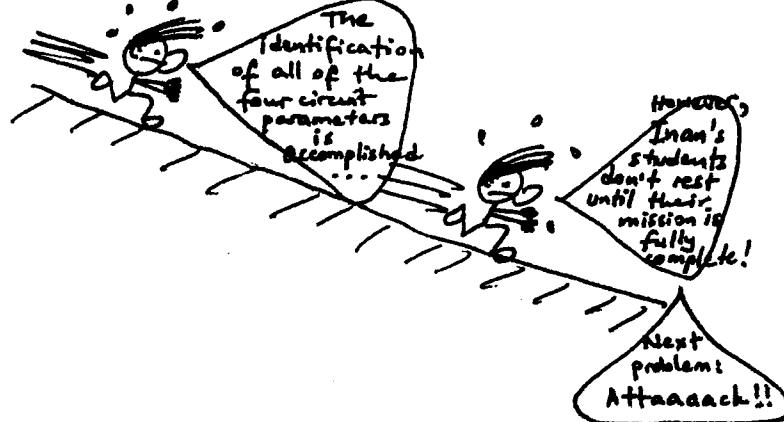


When the circuit reaches steady state, we have

$$\begin{aligned} v_s(t \rightarrow \infty) &= v_1^+ + v_1^- (t \rightarrow \infty) \\ &= v_1^+ + \Gamma_2(t \rightarrow \infty) v_1^+ \\ &= v_1^+ + \frac{R_2 - Z_{01}}{R_2 + Z_{01}} v_1^+ \\ &= v_1^+ \left[1 + \frac{R_2 - Z_{01}}{R_2 + Z_{01}} \right] = (1) \left[1 + \frac{R_2 - 50}{R_2 + 50} \right] = 1.5V \end{aligned}$$

Solving, $R_2 = 150 \Omega$. Substituting the value of R_2 into the time constant equation yields

$$\frac{L_2}{150 + 50} = 0.1 \text{ n} \rightarrow L_2 = 20 \text{ nH}$$



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Mission
Impossible
is not an
acceptable
cliche for
Inan's
students!!

(b) (20 points) Assuming $t_{d2}=4$ ns, sketch the voltage $V_1(t)$ across the 100Ω termination at the end of line # 2. Present all the relevant values on your sketch.

