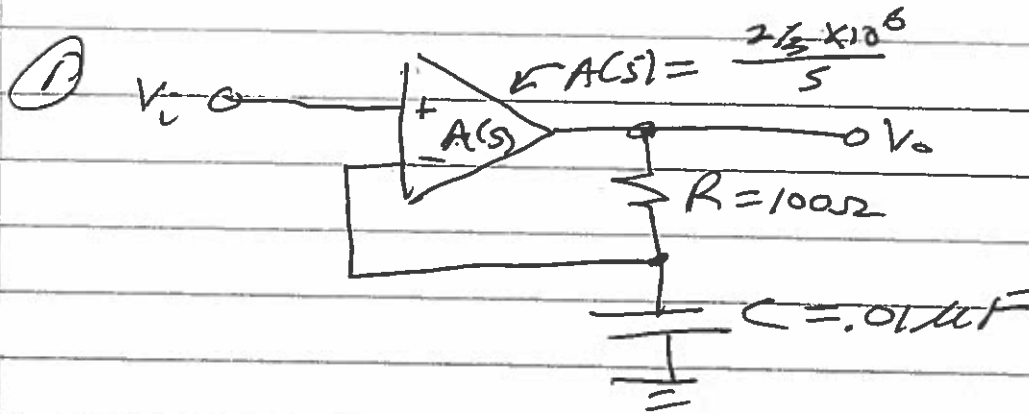
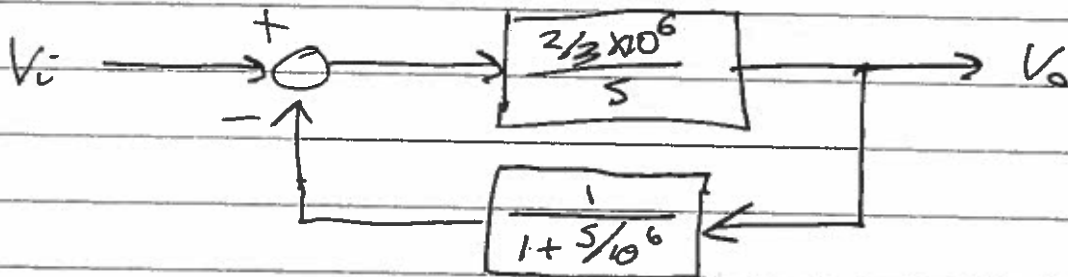


EE352 HW6 Solutions



⇓ converts to



$$a.) \quad LG(s) = A(s)\beta(s) = \frac{2/3 \times 10^6}{s(1 + s/10^6)}$$

$$PM = 180^\circ - |\angle LG(j\omega_1)|$$

$$\angle LG(j\omega_1) = -90^\circ - \tan^{-1} \frac{\omega_1}{10^6}$$

$$|LG(j\omega_1)| = 1 = \frac{2/3 \times 10^6}{\omega_1 \left[1 + \left(\frac{\omega_1}{10^6} \right)^2 \right]^{1/2}}$$

$$\therefore 1 = \frac{4/9 \times 10^{12}}{\omega_1^2 \left[1 + \frac{\omega_1^2}{10^{12}} \right]}$$

$$\therefore \frac{\omega_1^4}{10^{12}} + \omega_1^2 - 4/9 \times 10^{12} = 0$$

$$\Rightarrow \omega_1 = \frac{-1 \pm \sqrt{1 + 16/9}}{2 \times 10^{-12}}$$

$$\Rightarrow \omega = \frac{1}{3} \times 10^6 \text{ rad/sec}$$

$$\therefore \angle G(j\omega_1) = -90^\circ - \tan^{-1} \frac{1}{\sqrt{3}} = -120^\circ$$

$$\therefore PM = 180^\circ - |-120^\circ| = 60^\circ \quad \text{😊}$$

b.) See ~~attached~~ next pages for matlab

$$\begin{aligned} c.) \quad T(s) = A_F(s) &= \frac{A(s)}{1 + A(s)B(s)} \\ &= \frac{\frac{2}{3} \times 10^6 / s}{1 + \frac{\frac{2}{3} \times 10^6}{s(1 + s/10^6)}} \end{aligned}$$

$$T(s) = \frac{1 + s/10^6}{\frac{s^2}{\frac{2}{3} \times 10^{12}} + \frac{s}{\frac{2}{3} \times 10^6} + 1} \quad \text{😊}$$

$pzmap(T)$ → See next pages for matlab

$bode(T)$ → See next pages for matlab

d.) $step(T)$ → See next page for matlab

16.)

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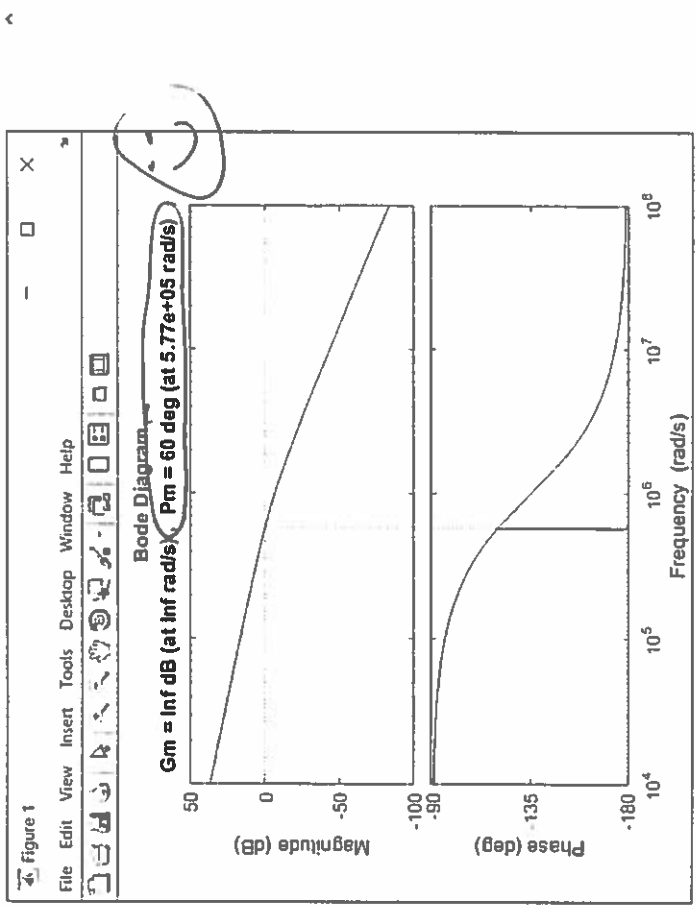
SMULINK

Code

Clear Command Window

Command Window

New to MATLAB? See resources for getting started.



```

A =
    6.667e05
-----
    s

Continuous-time transfer function.

>> B=1/(1+s/1e6)

B =
    1e06
-----
    s + 1e06

Continuous-time transfer function.

>> LG=A*B

LG =
    6.667e11
-----
    s^2 + 1e06 s

Continuous-time transfer function.

>> margin(LG)

```

Name	Value
lg: A	1x1 tf
lg: B	1x1 tf
lg: LG	1x1 tf
lg: s	1x1 tf

1. d.d.)

The image shows the MATLAB software interface. At the top, there is a menu bar with options like HOME, PLOTS, APDS, and Log in. Below the menu bar is a toolbar with various icons for file operations and analysis. The main workspace is divided into several panes:

- Command Window:** Contains the following text:

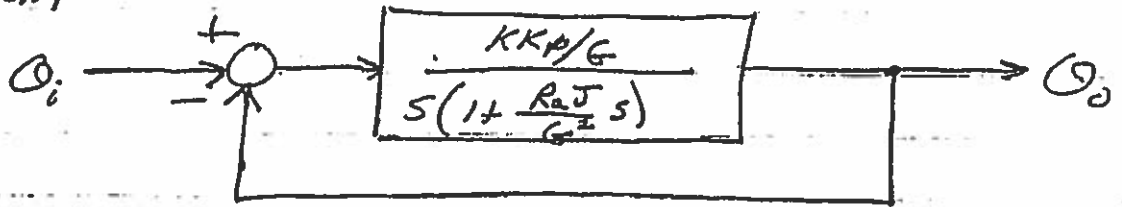
```
>> T=A/(1+LG)
T =
    6.667e05 s^-2 + 6.667e11 s
    s^3 + 1e06 s^2 + 6.667e11 s
Continuous-time transfer function.
>> step(T)
```
- Workspace:** A table showing variables in the workspace:

Name	Value
A	1x1 tf
AI	1x1 tf
B	1x1 tf
LG	1x1 tf
s	1x1 tf
T	1x1 tf
- Figure 1:** A plot titled "Step Response" showing the system's response to a step input. The x-axis is labeled "Time (seconds)" and ranges from 0 to 1.4 with a multiplier of $\times 10^5$. The y-axis is labeled "Amplitude" and ranges from 0 to 1.2. The plot shows a curve that starts at (0,0), rises to a peak of approximately 1.1 at $t \approx 0.2 \times 10^5$ seconds, and then decays towards zero.

②

~~1~~

a.)



$$A_S(s) = \frac{O_o(s)}{O_i(s)} = \frac{A}{1+AB} = \frac{1}{\frac{R_0 J}{G K K_p} s^2 + \frac{G}{K K_p} s + 1}$$
$$= \frac{1}{.04s^2 + .25s + 1}$$

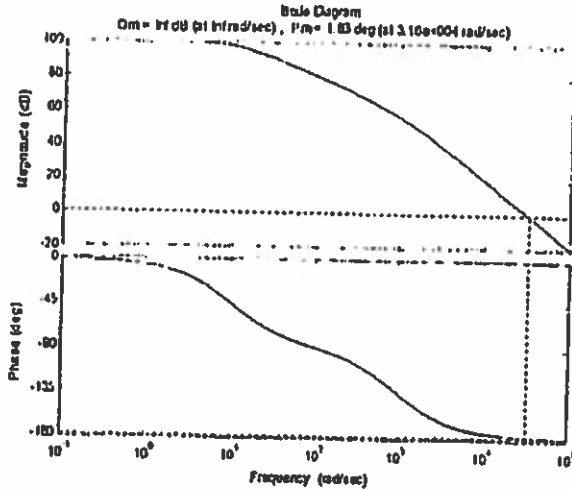
b.) See Next page

c.) See Next page

$$d.) LG(s) = A(s) \beta(s) = \frac{K K_p G}{s(1 + \frac{R_0 J}{G^2} s)} = \frac{5}{s(1 + .25s)}$$

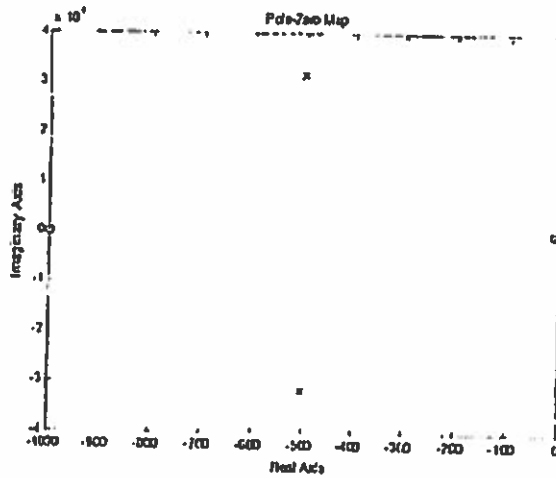
See Next page

2.a. & 2.b.
 \Rightarrow
 LG(s)



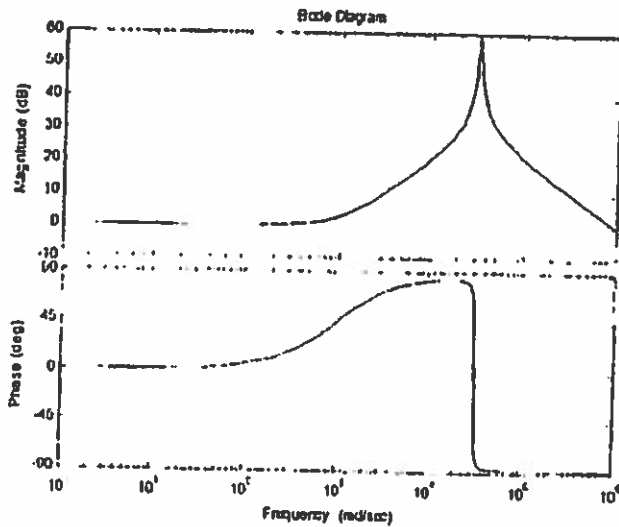
$\omega_n = 3.16 \times 10^4$ rad/sec
~~8.16~~
 PM = 1.83°

2.c. \Rightarrow
 (PZ diagram)

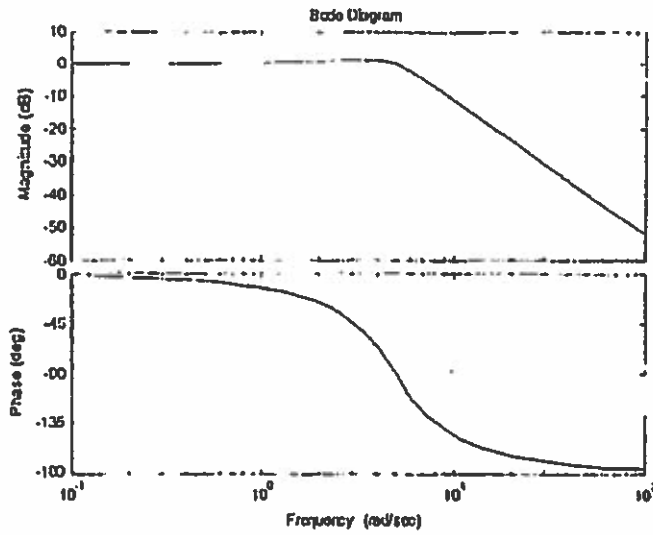


Zero: $s = -1000$
 Poles:
 $s = -505 \pm j 3.16 \times 10^4$

2.c. \Rightarrow
 (AG(s)
 Bode Plots)

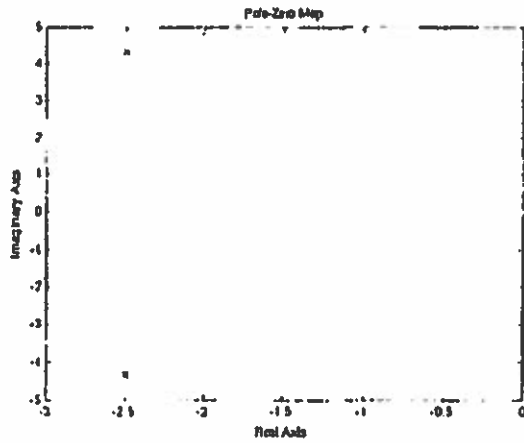


2b.)
~~2b.~~ \Rightarrow
 (As(s) Bode plots)



$\omega_n = 5 \text{ rad/sec}$

2c.)
~~2c.~~ \Rightarrow
 (PZ Diagram)



Yes, stable

"slightly" under-damped

Poles:
 $s = -2.5 \pm j4.33$

2.d.)
~~2d.~~ \Rightarrow
 (LGS),
 GM $\frac{1}{2}$,
 PM

